

3.4 Case study, Wumpus World

Model: A model is a description of the world where every relevant sentence has been assigned truth or falsehood. A model may correspond roughly to a valid line in the truth table.





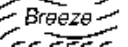
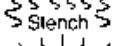


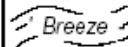

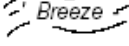

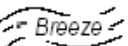

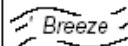
Inference: $\alpha \vdash \beta$ to say that β can be derived from α by inference,

$$\frac{\alpha}{\beta}$$




Entailment: $KB \models \alpha$ means that one thing follows from another

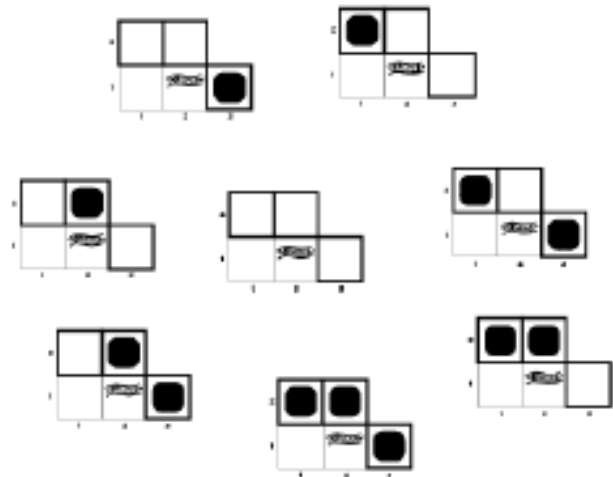
If $M(\alpha)$ is the set of all models of α , then

$$KB \models \alpha \text{ iff } M(KB) \subseteq M(\alpha)$$

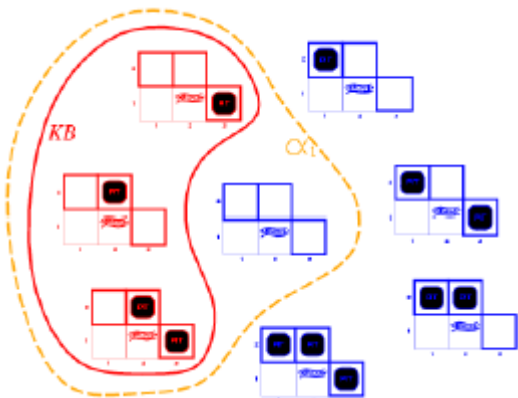
4	 stench		 Breeze	 PIT
3		 Breeze  Stench  Gold	 PIT	 Breeze
2	 Stench		 Breeze	
1	 START	 Breeze	 PIT	 Breeze
	1	2	3	4

Entailment in the wumpus world, Consider possible models for KB assuming only pits

?	?		
  		?	

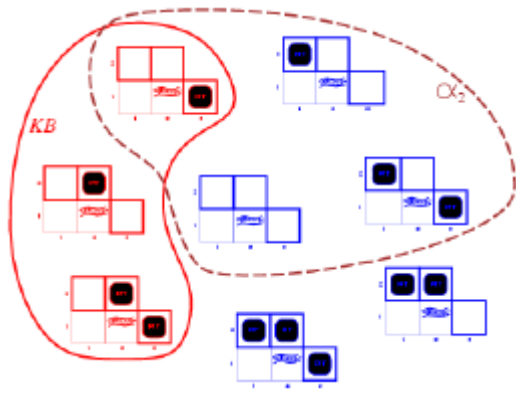


$\alpha_1 = \text{"There is no pit in (1,2)"}$



$KB \models \alpha_1$ i.e. $M(KB) \subseteq M(\alpha_1)$

$\alpha_2 = \text{"There is no pit in (2,2)"}$



We cannot conclude α_2 i.e. $M(KB) \not\subseteq M(\alpha_2)$

Soundness: i is sound if whenever $KB \models_i \alpha$, it is also true that $KB \models \alpha$

Completeness: i is complete if whenever $KB \models \alpha$, it is also true that $KB \models_i \alpha$